Steel Bracket Connection on Modular Buildings

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Abstract

Modular construction methods have been adapted globally for the past few decades and are becoming more common due to their ease of use and flexibility. Structural connections between modules are required for integrity and robustness but details vary depending on the form of the module and the particular application. The behaviour of connections in analysis and design of modular buildings should particularly be taken into account in detail because of their effects on the distribution of internal forces and on structural deformations. The purpose of this paper is to present and analyse the behaviours of an innovative steel bracket connection. Experiments, including shear loading and simply supported tests, were carried out to establish directly the ultimate resistance as well as failure modes of the connections. The finite element software, Strand7, was subsequently utilised to produce models for comparison with test results. A parametric study has been carried out to investigate the effects of varying bolt hole dimension and bolt hole spacing on the structural behaviours of the steel bracket connection using linear analysis. The model presented in this paper was formed as a baseline for future in-depth investigations to ensure design optimisation of the steel bracket connection.

Keywords: Steel bracket connection; Shear capacity; Tensile capacity; Prying action; Bolt connection

Introduction

Modular construction is the process in which modules are created off-site and are generally pre-fabricated blocks that are then transported to site and easily assembled. This process is implemented to control the schedule and budget of the project whilst limiting its environmental impact and increasing structural quality. The advantages of the modular construction method are identified as constructability, improved schedule, environmental benefits, safer construction, savings in field labour and field management, quality and productivity, and pre-fabrication testing [1-3]. Globally and especially in Asia, off-site pre-fabrication has been increasing, while this method is relatively new in Australia due to factory and warehouse limitations. In many cases for construction projects in Australia, the ‘Critical Path Method’ (CPM) has been used [4]. This is where the whole project life cycle is a step by step process and each task has a successor and predecessor where an activity cannot be started until the previous one has finished. The reason modular buildings are time effective is that it runs on a concurrent schedule path rather than following the CPM. This ‘Concurrent Schedule Method’ (CSM) is where multiple activities can be done in parallel, for example, the geotechnical work and structural planning can be conducted simultaneously as the pre-fabrication is taking place. Reducing the overall schedule time of a project is highly advantageous and this can be achieved by “performing the design and procurement simultaneously, working in parallel, increasing the control of schedule [and] higher productivity from the permanent work force in fabrication shops” and from “the opportunity to train operators at fabrication shops rather than on-site” [5].

Common applications of modular buildings include but are not limited to construction camps, military housing, industrial facilities, churches, schools and hospitals. As these fabricated modules are designed in warehouses, the modules are usually designed as generic six sided boxes [6]. An example of a module can be seen in Figure 1. This generic design sets strong design limitations to the modules and therefore aesthetically pleasing designs are sometimes unachievable, however, the historic applications of modular buildings as stated above do not necessarily require artistic design.

The stages of modular construction are as follows:

1. Design approval by the end user and any regulating authorities;
2. Assembly of module components in a controlled environment;
3. Transportation of modules to a final destination;
4. Erection of modular units to form a finished building.

Materials that are delivering to the plant location are safely stored in the manufacturer’s warehouse in order to prevent damage and
The material of the brackets was Q235B steel, which is commonly used in the Chinese steel industry. The material properties of Q235B steel are presented in Table 1. The diameter of the bolts was 22 mm (M22) with a steel grade of 8.8. The shear and tensile strengths of the bolts are 420 MPa and 800 MPa, respectively (Table 1).

**Test methodology**

Shear loading tests: One side of the bracket was statically loaded with a hydraulic jack to fix the member. The other jack was then loaded to investigate the load-carrying capacities of the assembly as well as any type of failure modes observed. This test setup is presented (Figures 4-5). In addition, the maximum deflections at the corner of the specimens and spacing between the two brackets were measured at the failure load.

Simply supported tests: One set of two brackets was subjected to a standard loading system (simply supported and subjected to line loads at span centre) as shown in Figures 6-7. The load was applied using a 90 tonne (882.9 kN) capacity loading jack, which transferred the load to the designated points through a steel loading roller.

**Results and Discussion**

**Shear loading tests**

In total two sets of specimens were tested to failure. Table 2 details the outcomes of the shear loading test. All specimens had the same failure modes. The types of failure modes observed are presented in Figures 8-10.

A brief calculation was conducted to evaluate the load-carrying capacities of the bolts by the shear loading test. The analysis was in accordance with Clause 9.3 of the Australian Standard for Steel Structures (AS4100-1998) [10]. Using the experimental test result of specimen 1, $V^* = 419$ kN and $M^* = 419 \times 0.24 \text{ m} = 100.56$ kNm were obtained (Figure 11).

Check the shear capacity of bolt: Each bolt in shear $V^* = 419/4$ bolts = $104.75$ kN/bolt

$\therefore V^* \leq \varphi V_f \quad \text{O.K.}$

where $\varphi V_f$ is shear capacity for M22 bolt ($=0.8 \times 420 \times \pi \times (22/2)^2 = 127$ kN).

<table>
<thead>
<tr>
<th>Yield strength (MPa)</th>
<th>Ultimate strength (MPa)</th>
<th>Density (g/cm³)</th>
<th>Modulus of elasticity (GPa)</th>
<th>Poisson’s ratio</th>
<th>Elongation (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>235</td>
<td>375-460</td>
<td>7.85</td>
<td>200-210</td>
<td>0.25-0.33</td>
<td>26</td>
</tr>
</tbody>
</table>

Table 1: Q235B steel properties.
Check the tensile capacity of bolt: \(N^*t_f=100.56\, \text{kNm}/0.200\, \text{m}=502.8\, \text{kN}\) on group of 2 bolts. It is divided by 2 since there are 2 bolts in tension:

\[
N^*t_f=502.8/2=251.4\, \text{kN/bolt}.
\]

\[::: N^*t_f > \varphi N_t f \text{ NOT O.K.}\]

where tensile capacity \(\varphi N_t f=0.8 \times 800 \times 303 \, \text{mm}^2=193.92\, \text{kN}\).

**Table 2:** Shear loading test results.

<table>
<thead>
<tr>
<th>Specimen</th>
<th>Ultimate load (kN)</th>
<th>Spacing (mm)</th>
<th>Deflection at corner (mm)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>419.0</td>
<td>10.40</td>
<td>17.44</td>
</tr>
<tr>
<td>2</td>
<td>414.0</td>
<td>10.32</td>
<td>17.20</td>
</tr>
</tbody>
</table>
Check prying action capacity
\[
\left( \frac{V^*}{\phi V_f} \right)^2 + \left( \frac{1.2 + N^*}{\phi N_{tf}} \right)^2 \leq 1.0
\]

Therefore
\[
\left( \frac{104.75}{127} \right)^2 + \left( \frac{301.68}{193.92} \right)^2 > 1.0 \quad \text{NOT O.K.}
\]

Simply supported tests

The specimen was tested to failure, which occurred at 733.0 kN. The deformed shape of the specimen at 600 kN loading is presented in Figure 12. A brief calculation was also conducted to evaluate the load-carrying capacities of the bolts by the simply supported test. Using the experimental test result, $V^* = P/2 = 733.0/2 = 366.5$ kN (Reaction) and $M^* = PL/4 = 733.0 \times 0.74/4 = 135.61$ kNm were obtained.

Check the shear capacity of bolt: Bolt in shear $V^* = 366.5/4 = 91.63$ kN/bolt
\[V^* \leq \phi V_f\] O.K.

where $\phi V_f$ is shear capacity for M22 bolt ($= 127$ kN same as above)

Check the tensile capacity of bolt
\[N^* = 135.61 \text{kNm}/0.200m = 678.05 \text{kN on group of 2 bolts. It is divided by 2 since there are 2 bolts in tension:}
\]
\[N^* = 678.05/2 = 339.03 \text{kN/bolt.}
\]
\[N^* > \phi N_{tf}\] NOT O.K.

where Tensile capacity $\phi N_{tf} = 193.92$ kN (same as above)

Check prying action capacity (Figure 12)
\[
\left( \frac{V^*}{\phi V_f} \right)^2 + \left( \frac{1.2 + N^*}{\phi N_{tf}} \right)^2 \leq 1.0
\]

Therefore
\[
\left( \frac{91.63}{127} \right)^2 + \left( \frac{406.83}{193.92} \right)^2 > 1.0 \quad \text{NOT O.K.}
\]

Summary of results

In summary, the failure of bolt connections occurred due to the tensile capacity of bolts being exceeded in both shear loading and simply supported tests. This tensile failure also led to the failure of connections under combined actions of shear and tension as well as bolt prying failure. The bolt connections failed in a ductile manner and there was no evidence of bracket (plate) failures.
Numerical Modelling Using Strand7

The numerical modelling, using the computer software Strand7, presented below, consists of two stages. In the first stage, a benchmark model was carried out using nonlinear static solver for a comparative study. The comparison was based on the failure load values. For the sake of simplicity and saving computational time, the second stage was to investigate the steel bracket connection using linear analysis. The aim was to provide an overview into the structural behaviours of the steel bracket connection when varying the bolthole dimension and bolthole spacing.

Comparative study

The purpose of the numerical model was to simulate the shear loading tests. The faces of the steel boxes were modelled by the use of Quad 4 elements. Rigid links, rigidly connecting nodes together, were used to create the direct contact of adjacent plates. The two steel boxes were connected by four bolts simulated by Hexa 8 brick elements. The restraints for the loaded box were assigned as free to translate and rotate, while the unloaded box was fully fixed. Figure 13 shows the pre-processing of the connection model.

The nonlinear static solver, using an algorithm based on the modified Newton-Raphson method, was used to obtain the response of the structure. Figure 14 presents the displacement response of the two boxes. The displacement of unloaded box was zero; whilst the loaded box had the maximum displacement of 1.54 mm occurring at the far-end. Figure 15 illustrates the stress distribution of the steel bracket connection under loading condition. The ultimate load of the simulation was 547.6 kN, which was overestimated in comparison with the experimental results (419.0 and 414.0 kN). Discrepancies between experimental and numerical results can be attributed to experimental and human errors combined with the idealistic and simplified nature of the numerical techniques (e.g., effects of bolt slip were ignored in the simulation). This model was formed as a baseline and further improvements of the model are necessary (Figures 14 and 15).

Parametric study

Influence of bolt dimension on the performance of steel bracket connection: In this section, a parametric study was carried out to investigate the effect of bolt holes. Those bolt holes were varied in 4 mm increments from 16 mm to 24 mm adhering to the Australian Standards of bolt diameters listed in AS4100. The boltholes had an extra diameter of 2 mm each to allow for construction tolerance. The aim was to observe a linear trend whilst changing the bolt diameters. In Strand7, the two connecting plates with a thickness of 15 mm were attached by four simulated bolts using rigid links. Forces were applied on one of the plates that ranged from 0 to 500 kN at 100 kN increments (Figure 16). The following observations can be made:

- Figure 17 represents the force applied at 100 kN intervals from 0 kN to 500 kN and its respective deflection for the nodes at the bottom of the bolthole (a), at the interior of the bolthole (b) and at the midspan between the boltholes (c). Regarding the node at the bottom of the bolthole, the deflection difference between the M16 bolts and the M24 bolts at 500 kN of applied force was 0.94 mm, from 5.04 mm compared to 4.10 mm, respectively. This was not a significant variance in deflection when the same load was applied considering the M16 bolt is two-thirds the diameter of the M24.

- It is observed that the interior node deflected more than did the bottom bolthole node and this was due to the local buckling that occurred throughout the plate. The deflection difference between the M16 and M24 bolts at 500 kN of applied force was 0.75 mm, from 5.46 mm compared to 4.71 mm when using the M24 bolts compared to the M16, i.e., it only deflected 80.5% as much. The node at the midspan between the boltholes experienced a greater deflection than either of the nodes at the bottom of the bolthole or the interior of the bolthole. It is believed that the deflection was much greater because of the local buckling that occurred in the plate at this specific region more than near the bolthole region. The midspan node corresponded to the structural...
behaviour of the plate rather than the behaviour of the bolt. This node was chosen as an investigation node to see how the plate behaved to observe the different structural behaviour as a node point around the bolt. It has proven that the bolt area did not deflect as much compared to the midspan where buckling occurred and this was because the bolt strength in the model limited the movement of the connection point from plate to plate.

Figure 18 was generated by plotting the gradients from the applied force versus deflection graphs with respect to the bolt diameter for all the investigation nodes. The bolt diameter changes had the greatest impact on the bottom of the bolt hole location (with the gradient value of 2.82), then the second greatest on the interior node location and lastly the midspan between the bolt holes (with the gradient values of 1.85 and 1.29, respectively).

Influence of bolt location on the performance of steel bracket connection: In this section, an investigation of the bolt hole spacing of the current 24 mm holes on the connection plate in a shear loading test was presented. This was conducted in 10 mm increments inwards and outwards to generate an understanding of the structural effect on the bolts and plate. The face pressure was applied on top of the box in stress increments of 1 MPa from 0 to 5 MPa. Figure 19 displays the numerical results for the four tested bolt hole locations. The deflection difference from when the bolt was 10 mm inwards and 10 mm outwards was 1.83 mm, where the bolt location inwards deflect 3.83 mm as compared to when the bolt location was moved 10 mm outwards, it only moved 2.00 mm. The linear trends were evident from the gathered results and that as the bolt location moved outwards, the less deflection was with respect to the amount of stress applied. Based on the analysis, it is therefore advised that the bolt hole location should be moved outwards for greater resistance to prying failure.

The graph in Figure 20 was generated by plotting the gradients from the applied stress versus deflection with respect to varying bolt
location (assuming positive location is outwards from centre). This resulted in a parabolic trend in the stress versus deflection gradient with respect to the bolt location.

Conclusion

The study focused on the structural performance of the steel bracket connection. An experimental programme was undertaken to investigate the response of the steel bracket connection under different loading conditions. The steel bracket connections failed in a ductile manner and there was no evidence of plate failures. The analysis revealed that the failure of connections was due to the tensile capacity of the bolts being exceeded, thus led to bolt prying failure. The finite element method using Strand7 software was employed as an analytical method for the comparison of the test results. The model was formed as a baseline. Further improvements in the model are necessary for future comprehensive investigations to ensure design optimisation of the steel bracket connection with respect to multiple variables such as bolt hole size, bolt hole spacing and also wall thickness of the steel bracket.

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References